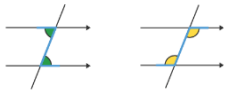
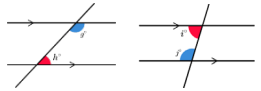
The Sutton Academy

Knowledge Rich Curriculum Plan

Year 10 Higher – Geometry 1

Lesson	Intended Knowledge:	Tiered Vocabulary	Prior Knowledge:	Steps to Success:	Feedback
To learn how to calculate interior angles in polygons.	• Students will know how to use angles in a triangle add up to 180° to find the angle sums of any polygon. • Students will know how to use the formula $(n-2)\times 180$ to find the sum of interiors angles of any polygon. • Students will know how to find one interior angle of a regular polygon using the formula $(n-2)\times 180$ and dividing by the number of angles of the polygon. • Students will know how to find the missing angle in an irregular polygon. • Students will know how to solve problems involving interiors angle in regular and irregular polygons.	**Polygon** – a closed shape with straight sides **Regular Polygon** – A polygon where all sides are the same length and all angles are equal **Irregular Polygon** – A polygon where all sides are not the same length and all angles are not equal **Interior** – Inside	• Students need to know that angles in a triangle add up to 180°. • Students need to recognise and identify different types of polygons.	**Steps to Success – Interior angles of a regular polygon** **Step 1:** Check that you shape is regular. Does it have equal sides and equal angles? **Step 2:** Calculate the sum of the interior angles by using the formula: $Sum\ of\ the\ interior\ angles = (n-2)\times 180$ Where, n, is the number of sides. **Step 3:** Divide this sum by how many equal angles the polygon has. **Steps to Success – Missing angle of an irregular polygon** **Step 1:** Check that you shape is irregular. Not all the sides or angle are equal. **Step 2:** Calculate the sum of the interior angles by using the formula: $Sum\ of\ the\ interior\ angles = (n-2)\times 180$ Where, n, is the number of sides. **Step 3:** Add up all the known angles. **Step 4:** Subtract the sum of the known angles from the sum of the interior angles to find the missing angle.	
To learn how to solve problems with exterior angles.	• Students will know how to find a single exterior angle of a regular polygon using 360º. • Students will know how to find the number of sides a regular polygon has using 360º and an exterior angle. • Students will know that interior and exterior angles add up to 180° as they sit on a straight line. • Students will know how to solve basic problems with a mixture of interior and exterior angles.	**Exterior** – Outside **Exterior angle** – is the angle between a side of a polygon and an extended adjacent side.	• Students need to be able to find an interior angle of a regular polygon.	**Steps to Success – Exterior angles of a regular polygon** **Step 1:** Check that you shape is regular. Does it have equal sides and equal angles? **Step 2:** The sum of exterior angles in any polygon is 360º. Divide 360º by the number of exterior angles to find the value of one exterior angle.	
To learn how to find missing angles on parallel lines.	• Students will know that alternate angles are equal. • Students will know how to identify alternate angles. • Students will know that corresponding angles are equal. • Students will know how to identify corresponding angles. • Students will know that co-interior angles add upto 180º. • Students will know how to identify co-interior angles. **Encourage students to write reasons for every missing angle that they find.**	**Parallel –** parallel lines are two lines that are side by side and have the same distance continuously between them **Transversal –** a line that crosses at least two other lines **Some additional vocab is present in steps.**	• Students need to know how to find missing angles on a straight line, at a point and vertically opposite.	**Alternate angles** **Alternate angles** are two angles, formed when a line crosses two other lines, that lie on opposite sides of the **transversal** line and on opposite relative sides of the other lines. If the two lines crossed are parallel, the alternate angles are equal. **Alternate angles** are equal.  **Corresponding angles** **Corresponding angles** are angles that occur on the same side of the transversal line and are equal in size. They are either both obtuse or both acute. **Corresponding** means matching. **Corresponding angles** are equal. **Co-interior angles** **Co-interior angles** are angles on the same side of the **transversal** and inside the parallel lines. The two angles that occur on the same side of the transversal always add up to 180º. **Co-interior** angles add up to 180º. 	

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To learn how to combine angle rules to find missing angles on parallel lines.	• Students will know how to identify the difference between alternate, corresponding and co-interior angles • Students will know how to find missing angles in parallel lines using a mixture of reasons. • Students will know how to give clear, accurate reasons for their answers. • Students will know how to apply the rules of angles in parallel lines and other angle facts to solve multi-step problems involving angles in parallel lines • Students will know how to use a mixture of parallel line rules and other angle facts to find missing angles. • **Encourage students to write reasons for every missing angle that they find.**		• Students need to know how to find alternate, corresponding and co-interior angles.		
To learn how to draw and measure bearings.	• Students will know how to use a protractor and ruler to accurately measure bearings on a map, including measuring from A to B and B to A. • Students will know how to use a protractor to accurately draw bearings from A to B and B to A. • Students will know how to measure reflex bearings. • Students will know how to draw reflex bearings. • Students will know how to draw a point at a given bearing and distance from a point. • Students will know how to draw bearings from 2 points and show where these intersect. **Opportunity for challenge:** • Students will know how to solve problems involving bearings.	**Bearing –** angles measured clockwise from north involving 3 digits	• Students need to know how to measure and draw angles.	**Steps to Success- Measuring bearings** **Step 1:** Draw a line connecting the two points unless this has been drawn for you. **Step 2:** Identify which point you are measuring the bearing **from.** **Step 3:** Place the protractors centre on the bottom of the line with 0 on the **North** line. **Step 4:** Measure the size of the angle, remembering to measure **clockwise.** **Step 5:** Record your bearing, ensuring it has 3 digits. If the angle is less than 100, place a zero as the first digit. **Steps to Success- Measuring reflex bearings** **Step 1:** Draw a line connecting the two points unless this has been drawn for you. **Step 2:** Identify which point you are measuring the bearing **from.** **Step 3:** Measure the smaller angle. This will be **anticlockwise** from the North. **Step 4:** Subtract this angle from 360°. **Step 5:** Record your bearing, ensuring it has 3 digits. **Steps to Success- Drawing bearings** **Step 1:** Identify which point you are drawing the bearing **from.** **Step 2:** Draw the North line at that point unless it has been drawn for you. **Step 3:** Place the protractors centre on the bottom of the line with 0 on the **North** line. **Step 4:** Measure the angle in the question, remembering that bearings are measured **clockwise**. **Step 5:** Make a marking at the position of the angle, then draw through the point to the required measurement as given in the question. **Steps to Success- Drawing reflex bearings** **Step 1:** Identify which point you are drawing the bearing **from.** **Step 2:** Draw the North line at that point unless it has been drawn for you. **Step 3:** Subtract your angle from 360° Step 4: Place the protractors centre on the bottom of the line with 0 on the **North** line. **Step 4:** Measure the smaller angle, remembering that this time we are measuring **anticlockwise**. **Step 5:** Make a marking at the position of the angle, then draw through the point to the required measurement as given in the question.	

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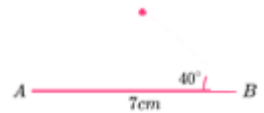
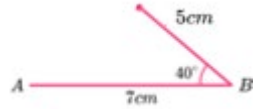
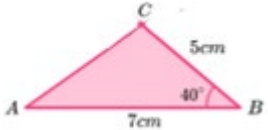
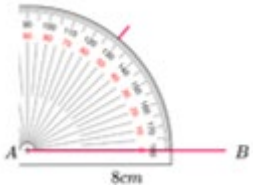
To learn how to accurately construct triangles.	• Students will know how to construct SAS triangles using a ruler and protractor. • Students will know how to construct ASA triangles using a ruler and protractor. • Students will know how to construct SSS triangles using a ruler and compass.	**Construct –**to draw a shape, line or angle accurately using a pair of compasses, a protractor and a ruler	• Students need to know how to draw angles accurately with a protractor.	**Steps to Success- Constructing SAS Triangles** **Step 1: Draw the base.** Use a pencil and a ruler to draw the base. **Step 2: At one end point measure one angle.** At point B use a protractor to measure the angle 40˚, make a mark.  **Step 3: At the end point draw a line.** Use a ruler to measure 5cm from point B, while making sure that the ruler lines up with the mark you made in step 2.  **Step 4: Complete the triangle.** Use your ruler to draw a straight line from point A to the end of the 5cm line drawn in step 3.  **Steps to Success- Constructing ASA Triangles** **Step 1: Draw the base.** Use a pencil and a ruler to draw the base. **Step 2: At one end point measure one angle.** At point A use a protractor to measure the angle 50˚, make a mark and then draw a straight line from point A through the mark. Make this line long.  **Step 3: At the other end point measure the second angle.** At point B use a protractor to measure the angle 30˚, make a mark and then draw a straight line from point B though the mark.	

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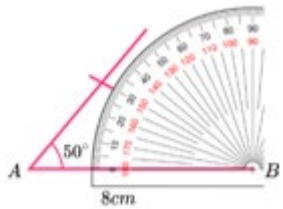
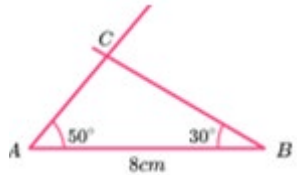
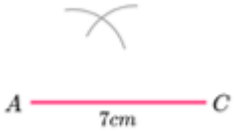
				 **Step 4: Complete the triangle.** Make sure that the two lines intersect each other to form the triangle. **Leave all construction lines visible!**  **Steps to Success- Constructing SSS Triangles** **Step 1: Draw the base.** Use a pencil and a ruler to draw the base. It is usually easier to use the longest side. **Step 2: Set compasses for the second side and draw an arc.** Open the compasses to 4cm. Place the point on point A and draw an arc. Make sure this arc is longer than you think necessary. **Step 3: Set compasses for the third side and draw an arc.** Open the compasses to 6cm. Place the point on point C and draw an arc. This second arc should cross the first arc. If they don't cross you may have to go make and draw the arc's longer.  **Step 4: Join up the intersection of the arcs.** Complete the triangle by joining the point where the arcs intersect to point A and point C. **Leave all construction lines visible!**	

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				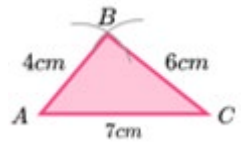	
To learn how to construct angles and line bisectors.	• Students will know how to construct a perpendicular bisector of a line. • Students will know how to construct an angle bisector. • Students will know that the perpendicular distance from a point to a line is the shortest distance to the line. • Students will know how to construct a perpendicular line from a point to a line.	**Bisect –** cut into two equal parts **Bisector –** A line that splits an angle or line into two equal parts **Perpendicular –** at a right angle to	• Students need to know how to use a compass to draw circles with a known radius.	**Steps to Success- Constructing perpendicular bisectors** **Step 1: Use compasses to draw an arc.** Open the compasses to about three-quarters of the length of the line. Put the point of the compasses on one of the endpoints of the line. Draw an arc. **Step 2: Use the compasses to draw a second arc, intersecting the first arc.** Keeping the compasses, the same, draw another arc from the other end of the line. **Step 3: Join the two points where the arcs intersect.** Using a ruler, join up the two points where the arcs intersect each other. The new line is the perpendicular bisector of the original line segment *AB*. **Step 4: Check.** You can check that the new line goes through the midpoint of the line segment *AB* by using a ruler to measure. The line *AB* should have been cut into two equal halves. You can also check if the lines meet at a right angle. **Steps to Success- Constructing angle bisectors**	

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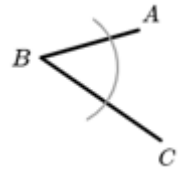
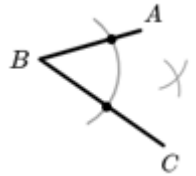
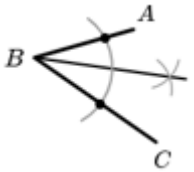
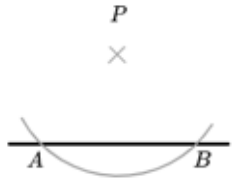
				Step 1: Use compasses to draw an arc. Set your compasses to a length that is less than the shortest line. Putting the point of the compasses on *B*, draw one arc going through both *AB* and *BC*.  **Step 2: Use the compasses to draw two more arcs.** Put the point of the compasses on the point where the first arc crossed *AB* and draw an arc. Keep the compass on the same setting. Repeat by putting the point of the compasses on the point where the first arc crossed *BC* and draw an arc. These two arcs need to intersect.  **Step 3: Join the vertex with the point where the arcs intersect.** Using a ruler, join up the point where the arcs intersect each other with the vertex *B*. The new straight line is the angle bisector of the original angle *ABC* and splits it into two equal parts.  **Step 4: Check.** You can check that the new straight line bisects the angle *ABC* by using a protractor. **Steps to Success- Constructing a perpendicular line to a point** **Step 1: Draw two arcs crossing the line segment.** Put the point of the compasses on the original point *P*. Draw an arc that crosses the original line in two places. These are labelled *A* and *B*.  **Step 2: Make two more arcs which intersect.** Put the point of the compasses on point *A* where an arc crosses the line and draw another arc. Keep the	

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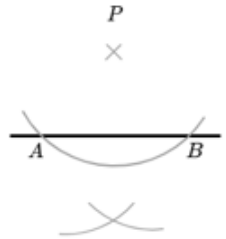
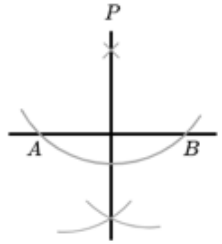
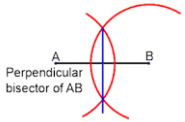
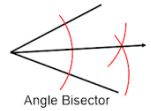
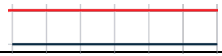
				compasses on the same setting. Repeat with point *B*, drawing another arc to intersect the arc just drawn.  **Step 3: Join the point where the arcs intersect to the original point.** Using a ruler, join up the point where the arcs intersect each other and the original point *P*. The new line is perpendicular to the original line segment. The new line will have also bisected the length *AB* – this may not be true for all questions.  **Step 4: Measure the line.** You may be asked to measure the shortest distance from the point to the line. To do this measure the line you have constructed.	
To learn how to construct loci.	• Students will know how to construct a region bounded by a circle. • Students will know how to construct a region bounded by two circles. • Students will know how to construct a region bounded by a circle and an intersecting line. • Students will know how to construct a given distance from a point. • Students will know how to construct a given distance from a line. • Students will know how to construct equal distances from two points. • Students will know how to construct equal distances from two-line segments. • Students will know how to construct regions defined by 'less than', 'nearer to' or 'greater than'. • Students will know how to use constructions to solve loci problems.	**Locus (Loci is the plural) –** the set of all points (usually forming a curve or surface) satisfying some condition **Equidistant –** an equal distance	• Students need to know how to draw circles using a known radius. • Students need to know how to draw line and angle bisectors.	**Loci – Key points:** • When 1 point is involved draw a circle/arc e.g. more than 4cm away from C • When 2 points are involved draw a perpendicular bisector e.g. closer to A than B  • When 2 sides are involved draw an angle bisector e.g. closer to AB than BC  • When 1 side is involved draw a straight line e.g. more than 3cm away from AC 	
Exam Preparation 5					